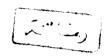
# A NUMERICAL IDENTIFICATION FOR NEW PARAMETERS INFLUENCING BOND BEHAVIOR

- with special regard of steel strain -

A Thesis
Submitted For The Ph.D Degree
In Civil Engineering



### BY

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### **CONTENTS**

Notation	
Terminology	
	1-1
PART I	THE STATE OF THE ART
Chapter 1	INTRODUCTION
1.1 Ge	neral
1.2 Ain	ns of This Work
1.3 Sco	ppe
	1-0
Chapter 2	BOND ACTION AND BOND BEHAVIOR
	OF REINFORCEMENT
2.1 Int	roduction
2.2 Me	chanisms of Bond 2-2
2.	2.1 Tension Forces
2.	2.2 Compressive Forces
2.3 Infl	uencing Parameters on Bond Behavior 2-6
2.	3.1 The Strength of Concrete
	2.3.1.1 Tensile strength
2	2.3.1.2 Transvers stresses
2.	3.2 The Ribs of Reinforcing Bars
2.	3.3 Position of Bars During Casting Concrete
2.4 Fail	3.4 Confining Reinforcement
	ure of Bond
	4.1 Cover Cracking along Reinforcing Bars
2.6 Pseu	ado-Constitutive Laws of Bond-Slip
	d Strength Comparisons for Different Codes 2-25

Chapter 3	NUMERICAL APPROACH OF
	BOND MODELLING
3.1 Str	uctural Modelling of Rft. into F.E 3-1
3.2 Dire	ect Simulation of Bond (structurally) 3-4
3.	2.1 Types of Elements
	3.2.1.1 Link Element
	3.2.1.2 Interface Element
	3.2.1.3 Bond Zone Element
3.3 Indi	rect Simulation of Bond 3-11
	pples of Numerical Studies on Bond Behavior 3-12
	te Element Formulation 3-19
	2-19-19-19-19-19-19-19-19-19-19-19-19-19-
Chapter 4	GENERAL CONSTITUTIVE MODELS
	FOR CONCRETE AND STEEL
4.1 Intr	oduction
	tures of Concrete Behavior 4-3
	2.1 Nonlinear Stress-Strain Behavior
	2.2 Different Responses in Tenions & Compression
	2.3 Multiaxial Compressive Loading
4.2	2.4 Volume Expansion Under Compessive Loading 4-6
4.2	2.5 Strain Softening 4-7
4.2	2.6 Constitutive Modelling of Concrete Materials 4-8
4.3 Failt	re Criteria of Concrete 4-9
	.1 Characteristics of Failure Surface
	.2 Ottosen Four-Parameter Model
	.3 Hsieh-Ting-Chen Four-Parameter Model 4-14
4.3	.4 Willam-Warnke Five-Parameter
4.4 Plast	cicity Model of Concrete 4-19
	inear Elastic Models 4-20
	ile Cracking of Concrete 4-22
	.1 Modelling of Strain Softening 4-23
	2 Main Parameter Influencing strain-Softening 4-24

4.7 Mo	delling of Uniaxial Behavior for Reinforcement 4-20
4	.7.1 Elastic-Plastic Plastic Model
	.7.2 Elastic-Linear Work-Hardening Model 4-22
4	.7.3 Elastic-Exponential Hardening Model 4-27
4	.7.4 Ramberg-Osgood Model 4-28
PART II	NUMERICAL INVESTIGATION
Chapter 5	NUMERICAL STUDIES
5.1 Mo	odelling Procedure
	<b>1.1 Introduction</b>
5.	1.2 Modelling Description
5.2 Geo	metric Characteristics of Element 5-4
	2.1 Concrete and Steel Elements 5-4
	<b>2.2 ISL</b> Elements
5.3 Mat	erial Response Characteristics of the Material Elements 5-6
5.	3.1 Concrete
	5.3.1.1 Failure and Cracking Criteria 5-7
	5.3.1.2 Nonlinearity Index
_	5.3.1.3 Stress-Strain Relation 5-8
5.3	3.2 Constitutive Matrix For Cracked Concrete 5-14
	5.3.2.1 Elastic Concrete
	5.3.2.2 Singly Cracked
	5.3.2.3 Doubly Cracked
5.3	5.3.2.4 Shear Retention Factor
5.4 Non	3.3 Stress-Strain Relation for Steel Elements
5.4 NUII	-linear Solution 5-18
Chapter 6	EXPERIMENTAL VERIFICATION
6.1 Data	of The Test
6.2 Geor	netric Modelling & Discretization into F.E 6-2
	erical Result 6-3
	.1 General
	3 Comparison with The Experimental Results 6-5

Chapter 7	RESULTS AND DISSCUSION	
7.1 Ge	neral	-1
7.2 Pu	Il-Out Specimen 7	-3
	7.2.1 Distribution of Steel and Bond Stresses	
	7.2.1.1 Solution Using ISL Elements 7	-3
	7.2.1.2 Solution Using ISL El. with Conf. Pr	-4
	7.2.1.3 Solution with Perfect Bond 7	-5
•	7.2.2 Predication of Concrete Behavior	-6
	7.2.2.1 Specimen Using ISL Elements 7	-6
	7.2.2.2 Specimen with Perfect Bond	
•	7.2.3 Parametric Study 7	
	7.2.3.1 Coefficient of Friction 7	-8
	7.2.3.2 Comparison Between ISL & Perfect Bond 7	
	7.2.3.3 Confining Pressure 7-	10
7.3 Pu	sh-Out Specimen 7-	11
•	7.3.1 General 7-	10
7.4 Te	nsion Model	12
Chapter 8	SUMMARY AND CONCLUSION	
8.1 Su	mmary 8	-1
	nclusions and Recommendations 8	
	commendations For Future Studies8	
PART III	<b>APPENDICES</b>	
Appendix A	Interface Slide Line (ISL) Element	<b>-</b> 1
Appendix B	REFERENCES	3-1

### **NOTATION**

```
A
                        parameter in failure criterion, Eq. (5.3);
 a_0, a_1, a_2
                       parameter in Eq. (4.16);
                       parameter in failure criterion, Eq. (5.3);
                 =
                       material constants in Eq. (4.16);
b_0, b_1, b_2
                 =
      \cdot C_{iikl}
                       material elastic tensor in Eq. (5.11);
        D
                       parameter in Eq. (5.4);
                       maximum grain size;
        d_{max}
                 =
        d,
                       nominal diameter of reinforcing steel;
        d_{r}
                 =
                       length;
        c_{v}
                       concrete cover, see Fig. (2.26);
        Ε
                       Young's modulus,
       E_{A}
                       Young's modulus, see Fig. (5.8) and Eq. (5.8);
E_c = \sigma_c/\epsilon_c
                       secant value of Young's modulus at uniaxial compressive failure;
       \mathbf{E}_{\mathbf{f}}
                       secant value of Young's modulus at triaxial compressive failure;
       \mathbf{E}_{i}
                       initial Young's modulus;
       E_{M}
                       Young's modulus, see Fig. (5.8) and Eq. (5.8);
       E_{MN}
                       Young's modulus, see Fig. (5.8) and Eq. (5.8);
                =
       E,
                       secant value of Young's modulus;
                =
       F
                      force in reinforcing deformed bar;
       f_{ci}
                      compressive stress on crack surface (positive quantity);
                =
                      tensile strength of concrete;
                =
       G_{b}
                      tangential bond modulus;
       G_c
                      shear modulus of cracked concrete in Eq. (5.15);
                =
       G_{\rm f}
                      Fracture energy;
                =
       G_{r}
                      the stiffness of spring in direction r;
       G_{t}
                      the forces transferred by dowel action;
```

```
I_1
                        \sigma_{ii} = first invariant of stress tensor;
        i & k
                        nodal points;
                       \cos 3\theta = (3\sqrt{3}/2) (J_3/J^{3/2}) invariant;
        Ţ
                       second invariant of stress deviator tensor;
        J_2
                        third invariant of stress deviator tensor;
        J_3
        K
                        factor which represents the effect of the "deformity" (ribbed surface
                 ==
                       configuration);
                       parameter in failure criterion, Eq. (4.12);
        k,
                       parameter infailure criterion, Eq. (4.12);
        k_2
        \mathbf{k}^{\prime}
                       \sigma_t / \sigma_c; ratio of uniaxial tensile to compressive strength;
                       embedment length of reinforcing steel bar;
        L
                 =
                       total number of nodes on body \Gamma^A;
        M
                 =
                       number of nodes on body \Gamma^A inside the contact zone;
        M_{c}
                =
                       total number of nodes on body \Gamma^{B};
        N
                       number of nodes on body \Gamma^{B} inside the contact zone;
        N.
                       compressive meridian;
        P.
                =
P_1 - P - P_2
                       the derivation of the elliptic curve;
        P,
                       confining pressure;
                =
        P_{s}
                       shear meridian;
        P.
                       tensile meridian:
                       body force, Eq. (3.32);
        q_i
                =
        R
                       radius of cylider;
        R^{ik}
                       spring force between the nodal points i & k in direction r;
        R, ik
                       spring force between the nodal points i & k in direction t;
                       slip modulus;
                       surface traction;
        T.
T_{ii}^{\prime}(P, Q)
                       traction in direction i at the point P due to a unite load in direction
                       j at the point Q, Eq. (A.3);
U_{ii}(P, Q)
                       displacement in direction i at the point P due to a unit load in
                       direction j at the point Q, Eq. (A.3);
                       shear stress on crack surfaces;
       V_{ci}
```

```
crack width;
                        geometry, traction and displacement variation according to
x_{ij}, \phi_{ij}, \psi_{ij}
                        interpolation functions respectively, Eq. (A.20);
                        the nodal values of the element, Eq. (A.20);
x_i, t_i, and u_i
                        an angle between bond force & surface of reinforcing bar;
                        related rib area;
                 =
        \alpha_{\rm sb}
                        angle, see Fig. (4.10);
        θ
                        function in failure criterion, Eqs. (4.11) and (4.12);
        λ
                 =
                        coefficient of friction between normal and tangential tractions,
                 =
        μ
                        Eq.(A.11);
                        initial friction coefficient, Eq. (A.13);
        \mu_{i}
                        limit friction coefficient, Eq. (A.13);
        \mu_{\text{m}}
                        (1/\sqrt{3}) I<sub>1</sub>; invariant, see Fig. (4.10);
        ξ
                 =
                        (2J_{\tilde{z}})^{1/2}; invariant, see Fig. (4.10);
                 =
                        stress component perpendicular to the hydrostatic axis at \theta = 0^{\circ},
\rho_c, and \rho_t
                        and \theta = 60^{\circ}, respectively in Eq. (4.16);
                        the curve of body, Eq. (A.1);
        Γ
        \Gamma^{A}
                        cylinder surface body A, Eq. (A.9);
        \Gamma^{B}
                        cylinder surface body B, Eq. (A.9);
                        contact zone, see Fig. (A.2) and Eq. (A.9);
        \Gamma_{c}
                        plasticity index, Eq. (5.2);
        ß
                        radial displacement;
        \Delta_r
                         relative nodal displacement of the nodal points i & k in radial
        \Delta_r^{ik}
                  =
                         direction;
                         the bar contraction;
        \Delta_{\rm s}
                         axial displacement;
        \Delta,
                         relative nodal displacement of the nodal points i & k in axial
        \Delta, ik
                         direction;
                         residual tangential traction, see Fig. (A.4) and Eq. (A.16);
        \Delta_2^{\mathfrak{d}, n}
                         the incremental in tangential traction, see Fig. (A.4) and Eq.(A.17);
        \Delta_2^n
                  =
                         slip between reinforcing bar and concrete;
```

```
\delta_{ui}
                            virtual displacement increments, Eq. (3.32);
                            the slip between steel and concrete at section x;
         δ,
                    =
         \delta_{\epsilon ij}
                            virtual strain increment, Eq. (3.32);
\boldsymbol{\varepsilon}_1, \; \boldsymbol{\varepsilon}_2, \; \boldsymbol{\varepsilon}_3
                            principal strains (\varepsilon_1 \ge \varepsilon_2 \ge \varepsilon_3, elongation positive);
                            strain at uniaxial compressive failure;
         ε,
                   =
                            shear retention factor, Eq. (5.15);
   (\rho, \theta)
                            polar coordinates;
                   =
                            yield stress, see Fig. (4.24) and Eq. (4.19);
                            biaxial compressive strength;
                            stress tensor, tensile stress positive;
                   =
                            principal streses;
\sigma_1, \sigma_2, \sigma_3
                            uniaxial compressive cylinder strength;
         \sigma_{c}
                            the mean stress;
                   =
         \sigma_{\rm m}
                            uniaxial tensile strength;
         \sigma_{t}
                           octahedral normal stress;
         \sigma_{\rm oct}
                           bond stress at section x;
                   =
         \tau_{b}
                   =
                           radial bond stress;
         \tau_{br}
                           shear bond component;
         \tau_{\mathbf{k}}
                           octahedral shear stress;
                   =
         \tau_{\rm oct}
                           maximum bond stress;
         \tau_{\text{max}}
                           the effective slip, Eq. (A.13);
                   =
         v_e
                           secant value of Poisson's ratio at failure, Eq. (5.9);
         \nu_{\rm f}
                   =
                           initial Poisson's ratio, Eq. (5.9);
         \boldsymbol{\upsilon}_{i}
                   =
                           secant value of Poisson's ratio, Eq. (5.9);
         υς
                           diameter of steel bar;
         Φ
                   =
                           theoretical or experimental constant;
                           theoretiacl or experimental constant;
                   =
         φ
                           linear elastic body, Eq. (A.1);
        Ω
                   =
        \Omega^{\mathbf{A}}
                           linear elastic body A, Eq. (A.9);
                   =
        \Omega^{\mathbf{B}}
                           linear elastic body B, Eq. (A.9);
                   =
                           the strain-displacement matrix in Eq. (3.40);
        [B]
```

```
[C]
                    elastic constitutive matrix;
                    material stiffness matrix for a linear isotropic material, in an
      [D]
              =
                    axisymmetric stress state;
      [K]
                    the structural stiffness matrix in Eq. (3.45);
              =
      [L]
                    differential operator matrix, Eq. (3.41);
                    matrix of the displacement interpolation function;
      [N]
     [T]
                    transformation matrix:
              =
     [3]
                    element strain matrix:
     [o]
                    element stress matrix;
^{m+1}(F)
                    equivalent force of stress acting on the nodal points, Eq. (3.49);
     {R}
                    equivalent external force acting on the nodal points, Eq. (3.43);
                    vector for displacement;
     {u}
             =
     {U}
                    displacement vector for nodal points:
                   vector for strain;
     ε}
             =
     {o}
                   vector for dtress:
             =
     \{\Delta R\} =
                   the load increment;
     \{\Delta U\} =
                   the displacement increment;
                   strain increment; and
     \{\Delta \epsilon\}
     \{\Delta\sigma\} =
                   stress increment.
```

### **TERMINOLOGY**

: Anchorage at the end of reinforcing bars makes it possible Anchorage that they can be taken into consideration as tensile or a compressive member in the reinforced concrete structure. Anchorage device : Mechanical devices, usually used at the end of reinforcing bars or prestressed tendons to anchor them over a very short length. : Anchorage length measured from the butt end of the Anchorage length reinforcing bar necessary to transfer a given force from the bar to the concrete. : A testing method proposed by Rilem to checkk the bond Beam test characteristics of derformed reinforcement. **Bond** : Interaction between reinforcement and surrounding concrete. **Bond forces** : Forces between reinforcement and surrounding bars. Effects - transversal compression or transverse **Confining effects** reinforcement - which influence the resistance of the concrete to bursting or splitting forces. : Internal bond cracks, that develope in the surrounding Internal bond cracks

concrete starting from the top of the ribs surface of the bar.