The Global Spectral Properties of X-ray and Gamma-ray Bursts from SGR 1806-20

By

Hisham Anwer Saleh Mohamed

SUMITED IN PARTIAL FULFILMENT OF THE REQURIMENT FOR THE DEGREE OF MASTER OF SCIENCE

AT
DEPARTMENT OF PHYSICS
FACULTY OF SCIENCE
CAIRO UNIVERSITY
GIZA, EGYPT

Approval Sheet

The Global Spectral Properties of X-ray and Gamma-ray Bursts from SGR 1806-20

Name of the Candidate

Hisham Anwer Saleh Mohamed

Teaching Assistant at the Department of Physics Faculty of Science-Cairo university

Submitted to

Faculty of Science

Cairo University

The suppervisors

1. Prof Mohamed Tarek Hussein Zakaria Department of Physics

Faculty of Science

Cairo University

Giza, Egypt

2- Prof. Tharwat Mahmoud El-Sherbini Department of Physics

Faculty of Science

Cairo University

Giza, Egypt

3- Dr. Alaa Ibrahim Hussein Ibrahim Department of Physics

Faculty of Science

Cairo University

Giza, Egypt

The Head of Physics Department

Prof. Gamal Abd-Elnaser

Abstract

Magnetars are cosmic sources of high energy radiations that emit short, intense bursts of X-rays and Γ -rays. Studying the spectral and temporal properties of these bursts allows us to identify the physical mechanism responsible for their emission and to probe the interaction of radiation and matter at extreme conditions of temperature, gravity, and magnetic field that cannot be reproduced in laboratories or particle accelerators. Using the data obtained from NASA archives, We study burst observations from SGR 1806-20 in order to investigate the spectral and temporal characteristics of the source and examine possible correlations between the spectral and temporal properties of the bursts. In search for the best-fit models of the burst continuum, we study the bursts with ten trial models. We examine possible correlations between the spectral and temporal parameters of the best-fit models. In our analysis, we classify the bursts according to their temporal profile to single-peak, multi-peak & multi-bursts and according to their duration to short and long burst classes and we study each class separately. We discuss the physical interpretation of the results and its implications on the magnetar properties and structure in the context of the magnetar model.

List of Publications

- Alaa I. Ibrahim, Hisham Anwer, Mohamed H. Soleiman, Nicholas Mackie-Jones, Kalvir S. Dhuga, William C. Parke, Jean H. Swank, Tilan Ukwatta, M. T. Hussein, T. El-Sherbini. On the Iron Interpretation of the 6.4 KeV Emission Line from SGR 1900+14, 2007, Astrophysics and space science, V 308, Number 1-4, 535-539.
- Alaa I. Ibrahim, William C. Parke, Jean H. Swank, Hisham Anwer, Roberto Turolla, Silvia Zane, M. T. Hussein, T. El-Sherbini. The Continuum and Line Spectra of SGR 1806-20 Bursts, 2007, *Astrophysics and space science*, V 308, Number 1-4, 43-50.
- Hisham Anwer, Alaa I. Ibrahim, M. T. Hussein, T. El-Sherbini, A. Y. Ellithi and Mohamed H. Soleiman. Global Spectral Analysis of SGR 1806-20 bursts observed by RXTE, AIP Conf. Proc. 2010.
- Hisham Anwer, Alaa I. Ibrahim, M. T. Hussein, T. El-Sherbini, A. Y. Ellithi and Mohamed H. Soleiman. Spectral Temporal Correlations in SGR 1806-20 bursts, To be published.

Acknowledgements

First and foremost, praises and thanks to God, the Almighty, for His showers of blessings throughout my research work to complete the research successfully.

I would like to express my deep and sincere gratitude to my research mentor, Dr. Alaa Ibrahim, who has supported me throughout my thesis with his patience and knowledge whilst allowing me the room to work in my own way. I attribute the level of this thesis for his supervision, advice, and guidance from the very early stage of this research. It is a pleasure to pay tribute to my supervisors, Prof. Tarek Hussein and Prof. Tharwat El-Sherbini. Their vision, sincerity and motivation have deeply inspired me, and without them this thesis would not have been completed or written. I gratefully acknowledge Mohamed Hassan for his assistance, invaluable discussions and his willingness to share his bright thoughts with me, which were very fruitful for shaping up my ideas and research results. It is a pleasure to express my deep gratitude to Prof. Ali Ellithi and Prof. Said Saleh for their keen interest shown to complete this thesis successfully.

Beyond Physics, I am extremely grateful to my family for their love, prayers and continuing support to complete this research work. Thanks very much Nasr and Sherif for your genuine support and encouragement. Ibrahim, Mohamed Abd-Elmohsen, Ahmed Kamel, Ahmed adel, Radwa daoud, Abdelghani and Hassan Elshal have been companionable colleagues. Their friendship, gentleness, loyalty and great sense of humour have made my life at the department more enjoyable.

This work made use of the NASA High-Energy Astrophysics Research Archive Centre (HEASARC). The Ftools software available by HEASARC and Interactive Data Language (IDL) were used to perform much of the analysis in this thesis. I am also indebted to the many countless contributors to the Open Source programming community for providing the numerous tools and systems I have used to produce this thesis. The entirety of my thesis has been completed using such technologies and I consider it to have been an enormous benefit. Thanks chaps, keep up the good work.

Finally, I would like to thank everybody who was important to the successful realization of this thesis, as well as expressing my apology that I could not mention personally one by one.

Hisham Anwer

Contents

| | Abs | bstract | | |
|------------------------------------|------------------|----------------------|---|----|
| | List | List of Publications | | |
| | Acknowledgements | | | v |
| 1 | The | Physi | ics of Neutron Stars | 1 |
| | 1.1 | Motiv | ation | 1 |
| | 1.2 | Forma | ation of Neutron Stars | 1 |
| | 1.3 | Neutro | on Star Characteristics | 2 |
| | | 1.3.1 | Estimation of Mass, Radius and Acceleration due to Gravity $$. | 2 |
| | | 1.3.2 | Estimation of Magnetic Field | 6 |
| | | 1.3.3 | Critical Angular Frequency | 7 |
| | 1.4 | Types | of Isolated Neutron Stars | 8 |
| | | 1.4.1 | Rotation-powered pulsars | 8 |
| | | 1.4.2 | Central compact objects in supernova remnants | 10 |
| | | 1.4.3 | Dim thermal isolated neutron stars | 11 |
| | | 1.4.4 | Rotating RAdio Transients | 12 |
| | | 1.4.5 | Soft γ -ray repeaters / Anomalous X-ray pulsars | 12 |
| 2 | The | Physi | ics of Magnetars | 14 |
| | 2.1 | Magne | etic Filed Formation | 16 |
| | 2.2 | Giant | Flares and Bursting | 19 |
| 2.3 The Origin Behind out Bursting | | | Origin Behind out Bursting | 19 |
| | | 2.3.1 | Magnetic Pressure and Crustal Fractures | 19 |

| Contents | |
|----------|--|
| | |

| | | 2.3.2 Magnetic Reconnection and Interchanges | 20 |
|---|------|--|----|
| | 2.4 | Alfven waves and Fireball Model | 21 |
| | 2.5 | Persistent Emission and Magnetar model | 23 |
| | | 2.5.1 Conductivity of NS and Ohmic Dissipations | 25 |
| | | 2.5.2 Non-Dissipative Hall Effect | 26 |
| | | 2.5.3 URCA Processes | 27 |
| | 2.6 | Magnetosphere and highly twisted internal magnetic field | 29 |
| 3 | Rad | liation Detection Technique | 31 |
| | 3.1 | RXTE Mission | 31 |
| | 3.2 | The Scientific Instruments aboard RXTE | 32 |
| | 3.3 | Proportional Counter Array | 34 |
| | 3.4 | Experimental Data System | 36 |
| 4 | Glo | bal Spectral Analysis of SGR 1806-20 Bursts | 39 |
| | 4.1 | Introduction | 39 |
| | 4.2 | Observations and Burst Selecting Criteria | 40 |
| | 4.3 | The Best-Fit Model | 42 |
| | 4.4 | The Spectral Properties of SGR 1806-20 Bursts | 44 |
| 5 | Nur | mber of significant correlations of SGR 1806-20 | 53 |
| | 5.1 | Introduction | 53 |
| | 5.2 | Spectral-Spectral Correlations | |
| | 5.3 | Spectral-Temporal Correlations | |
| | 5.4 | Temporal-Temporal Correlations | 60 |
| 6 | Inve | estigation of Five Burst Classes | 63 |
| | 6.1 | Burst Classification and Best Fit Models | 63 |
| | | 6.1.1 Short versus Long Bursts | 65 |
| | | 6.1.2 Single-peak versus Multi-peak versus Multi-bursts | 66 |
| | 6.2 | Spectral Properties of the Five Burst Classes | 69 |
| | | 6.2.1 Timing Classes | 69 |
| | | 6.2.2 Profile Classes | 70 |

| Contents | | ix |
|--------------|-------------|----|
| 7 | Conclusions | 80 |
| Bibliography | | 83 |

List of Figures

| 1.1 | Pulsar period derivative versus pulsar period for all known Galactic | |
|-----|---|----|
| | pulsars | 9 |
| 3.1 | The Rossi X-ray Timing Explorer | 32 |
| 3.2 | The five units proportional counter array | 33 |
| 4.1 | The light curve of a 2-60 keV RXTE PCA event mode data file for | |
| | SGR 1806-20 observed on November 1996, and produced at 16 ${\rm ms}$ | |
| | resolution | 41 |
| 4.2 | The light curves of three SGR 1806-20 bursts | 42 |
| 4.3 | The distributions of the reduced χ^2 of single and double component | |
| | models for SGR 1806-20 bursts | 43 |
| 4.4 | The distributions of burst duration and the best fit-parameters (Γ_{PL} , | |
| | $E_{c(CPL1)}, kT_{BR}, \Gamma_{CPL} \& E_{c(CPL)}$) of single component models | 46 |
| 4.5 | The best-fit parameters (Γ_{PL+BB} , $E_{c(PL+BB)}$, kT_{BBs} , kT_{BBh} , R_{BBs} & | |
| | R_{BBh}) of double component models | 47 |
| 4.6 | The spectral flux and flux ratios of SGR 1806-20 bursts | 48 |
| 4.7 | The spectral fluence and the fluence ratios for burst observations | 49 |
| 5.1 | The duration (T_{100}) for SGR 1806-20 bursts and the duration for SGR | |
| | 1900+14 bursts | 54 |
| 5.2 | The distributions of T_{100} , total counts and temporal fluence for All- | |
| | Whole SGR 1806-20 bursts | 54 |
| 5.3 | The square of the radii of double BB model as a function of their | |
| | corresponding temperatures for All-Whole, Long and Short bursts | 57 |

List of Figures xi

| 5.4 | Model dependent correlations: CPL1 High energy cutoff vs. Bremss | |
|-----|---|----|
| | kT) and PL photon index vs. Bremss kT | 57 |
| 5.5 | T_{100} vs. reduced χ^2 for SGR 1806-20 bursts | 58 |
| 5.6 | Hardness ratio vs. T_{100} for SGR 1806-20 bursts and Hardness ratio | |
| | vs. T_{90} for SGR 1900+14 | 60 |
| 5.7 | kT_{BR} vs. T_{100} , $E_{c(CPL1)}$ vs. T_{100} and Γ_{PL} vs. T_{100} for SGR 1806-20 | |
| | bursts | 61 |
| 5.8 | The spectral flux vs. T_{100} and the spectral fluence vs. total count for | |
| | SGR 1806-20 bursts | 62 |
| 5.9 | The temporal fluence vs. T_{100} , and the total counts vs. T_{100} for SGR | |
| | 1806-20 bursts | 62 |
| 6.1 | The distributions of the reduced χ^2 of single and double component | |
| | models for Short and Long burst classes | 66 |
| 6.2 | The distributions of the reduced χ^2 of single and double component | |
| | models for single-peak, multi-peak and Multi-burst classes | 68 |
| 6.3 | Histograms of the best-fit parameters ($\Gamma_{PL}, E_{c(CPL1)}, kT_{BR}, \Gamma_{CPL}$ | |
| | and $E_{c(CPL)}$) for single component models of Short and long SGR | |
| | 1806-20 bursts | 70 |
| 6.4 | Histograms of the best-fit parameters (Γ_{PL+BB} , $E_{c(PL+BB)}$, kT_{BBs} | |
| | and kT_{BBh}) for double component models of Short and long bursts | 71 |
| 6.5 | The best-fit parameters $(\Gamma_{PL}, E_{c(CPL1)}, kT_{BR}, \Gamma_{CPL})$ and $E_{c(CPL)}$ for | |
| | single component models of Multi-burst, Multi-peaked and Single- | |
| | peaked classes | 73 |
| 6.6 | The best-fit parameters $(\Gamma_{PL+BB}, E_{c(PL+BB)}, kT_{BBs})$ and kT_{BBh} for | |
| | double component models of Multi-burst, Multi-peaked and Single- | |
| | neaked hursts | 74 |

List of Tables

| 4.1 | The mean values of the reduced χ^2 distributions for both single and | |
|-----|---|----|
| | double models and the F-Test probability values for All-Whole SGR | |
| | 1806-20 bursts | 50 |
| 4.2 | The Gaussian mean values of the best-fit parameters distributions for | |
| | both single and double models for All-Whole SGR 1806-20 bursts. We | |
| | write n_H in units of 10^{22} atoms cm ² , kT & E_C in KeV and R_{BB} in | |
| | D_{10} km | 51 |
| 4.3 | The characterizing properties of the flux distributions 2-60, 2-10 $\&$ | |
| | 10-60 KeV, and the flux ratios 2-10/2-60, 10-60/2-60 & 2-10/10-60, | |
| | and that of the fluence and fluence ratios in the corresponding ranges. | 52 |
| 6.1 | The mean values of the reduced χ^2 distributions for both single and | |
| | double models for Short and Long SGR 1806-20 bursts | 75 |
| 6.2 | The mean values of the reduced χ^2 distributions for single and double | |
| | models for single-peaked, multi-peaked and multi-burst SGR 1806-20 $$ | |
| | burst classes | 76 |
| 6.3 | The best-fit parameters for both single and double models for Short, | |
| | Long, Single-Peaked, Multi-Peaked and Multi-Burst SGR 1806-20 | |
| | burst classes | 77 |
| 6.4 | The characterizing properties of the distributions of flux and flux | |
| | ratios for Short, Long, Single-peaked, Multi-peaked and Multi-burst | |
| | SGR 1806-20 bursts | 78 |
| 6.5 | The characterizing properties of the spectral fluence distributions and | |
| | fluence ratios for time and profile burst classes | 79 |

Chapter 1

The Physics of Neutron Stars

1.1 Motivation

After the discovery of the neutron by Chadwick [1], Baade and Zwicky [2] proposed the existence of the neutron stars. Decades later Hewish et al. [3] discovered the first rapidly rotating neutron star, or pulsar. The discovery of a pulsar in the crab nebula [4] represented a confirmation on the idea that a supernova action would yield a neutron star. This thesis is on a class of neutron stars known as magnetars that have extremely powerful magnetic field. In this chapter we review the properties of neutron stars in general, and in the next chapter we discuss the physics of magnetars.

1.2 Formation of Neutron Stars

At the end of the life of a massive star it reaches a point where it can no longer support itself against gravity. The stellar core collapses and triggers an explosion which releases an enormous amount of energy in a supernova action. Supernova explosions are so bright that they can outshine our galaxy for a brief period of time [5]. The star subsequently blows off some of its outer envelope which expands into the local interstellar medium. Depending on its age, composition and the density of the medium it is expanding into, it might be possible to observe this ejected shell as a supernova remnant [6]. What remains of the original star is a compact core, whose further collapse cannot be stopped by thermal pressure [5]. In

the free space a neutron will decay into a proton, an electron and a neutrino with a half life of 10.25 min. This process will be suppressed in the core, and the upper limit of the energy of the electron is given by the mass difference between the proton and neutron, $(m_n m_p)c^2 = 1.293$ MeV, which is well below the Fermi energy of the electron gas in the core.

$$n \longrightarrow p + e^- + \bar{v}_e \tag{1.1}$$

If the mass of the core is greater than $M_{Ch} = 1.4 M_{\odot}$ [7], the gravitational pressure is so strong that the inverse beta reaction (Eq. 1.2) becomes important. This process of converting protons to neutrons is usually referred as neutronization, and It is this process makes the core become neutron rich.

$$p + e^- \longrightarrow n + v_e$$
 (1.2)

If the neutrons provide enough degeneracy pressure to balance gravity, then we are left with a neutron star. For collapsed core with a mass greater than $\sim 4~M_{\odot}$, neutron degeneracy pressure will not suffice to balance gravity [5] and a black hole is what will be left over.

1.3 Neutron Star Characteristics

1.3.1 Estimation of Mass, Radius and Acceleration due to Gravity

During core collapse, gravity will squeeze the particles together, and Pauli's exclusion principle sets a limit on how close the particles can get. The degeneracy pressure could be estimated by considering the simple case of particles in a cubical box with sides of length L. The solution of Schrödinger's equation for such a system is

$$E = \frac{\pi^2 \hbar^2}{2mL^2} \left(n_x^2 + n_y^2 + n_z^2 \right), \tag{1.3}$$

where E is the particle energy, m the particle mass, and n_x , n_y , n_z are the number of quantum states in a given direction. If we plot these states in three dimensions, then the number of particles with energy E or less can be approximated by the volume of an octant of a sphere with radius R, i.e. $(1/8)(4\pi R^3/3) = \pi R^3/6$, where $R^2 = n_x^2 + n_y^2 + n_z^2$. The particles might also have spin; thus, to obtain the total number of particles we must also multiply by their spin degeneracy, $g_s = 2s + 1$, where s is the spin of the particles. For electrons and protons, i.e. fermions with s = 1/2, $g_s = 2$. Using Equation 1.3, the total number of particles that have energy E or less takes the following form

$$N = g_s \frac{\pi}{6} \left(\frac{2mV^{2/3}E}{\pi^2 \hbar^2} \right)^{3/2} \tag{1.4}$$

rearranging the above equation we get that

$$E = E_F = \frac{\hbar^2}{2m} \left(\frac{6\pi^2 N}{g_s V} \right)^{2/3}.$$
 (1.5)

Integrating over the number of particles we get the total energy of the system

$$U = \frac{3\hbar^2}{10m} \left(\frac{6\pi^2}{g_s}\right)^{2/3} \left(\frac{N}{V}\right)^{5/3} V. \tag{1.6}$$

The pressure could be deduced as follows

$$P = -\partial U/\partial V = \frac{3\hbar^2}{10m} \left(\frac{6\pi^2}{g_s}\right)^{2/3} n^{5/3},\tag{1.7}$$

where n = N/V is the number density. Eq 1.7 describes the degeneracy pressure for non-relativistic particles. If we write the number density in terms of the mass density, i.e. $\rho = mn$, notice that the above equation describes an adiabatic equation of state

$$P = K\rho^{\gamma} = K\rho^{1+1/\alpha},\tag{1.8}$$